

## Appendix

### Formulas for Variance Component Estimates from Mean Squares and *g* Coefficients

Table A1 displays the formulas for estimating variance components from the ANOVA mean squares for each main effect and interaction in the model (adapted from Shavelson & Webb, 2006). These variance components are used to calculate the absolute error variance ( $\sigma_{abs,e}^2$ ) using the following equation:

$$\sigma_{abs,e}^2 = \frac{\sigma_{po}^2}{n_o} + \frac{\sigma_{ps}^2}{n_s} + \frac{\sigma_{pso}^2}{n_o n_s} + \frac{\sigma_o^2}{n_o} + \frac{\sigma_s^2}{n_s} + \frac{\sigma_{so}^2}{n_s n_o}$$

where  $n_o$  is the number of observers and  $n_s$  is the number of sessions. The *g* coefficient is the proportion of the total variance explained by person, and is calculated using the following equation:

$$g = \frac{\sigma_p^2}{\sigma_p^2 + \sigma_{abs,e}^2}$$

In an optimization study, several hypothetical absolute error variances are calculated by changing the *n* terms in the equation above to represent different numbers of sessions and/or observers. These absolute error variances are then used to calculate *g* coefficients that reflect the proportion of total variance explained by person under these hypothetical conditions.

## DIRECT MEASURES OF MEDICATION EFFECTS

**Table A1**

*Formulas for Estimating Variance Components from Mean Squares*

Variance Component	Formula
Person x Session x Observer, residual ( $\sigma_{pso}^2$ )	$\sigma_{pso}^2 = MS_{pso}$
Session x Observer ( $\sigma_{so}^2$ )	$\sigma_{so}^2 = \frac{MS_{so} - \sigma_{pso}^2}{n_p}$
Person x Observer ( $\sigma_{po}^2$ )	$\sigma_{po}^2 = \frac{MS_{po} - \sigma_{pso}^2}{n_s}$
Person x Session ( $\sigma_{ps}^2$ )	$\sigma_{ps}^2 = \frac{MS_{ps} - \sigma_{pso}^2}{n_o}$
Observer ( $\sigma_o^2$ )	$\sigma_o^2 = \frac{MS_o - \sigma_{pso}^2 - n_p \sigma_{so}^2 - n_s \sigma_{po}^2}{n_p n_s}$
Session ( $\sigma_s^2$ )	$\sigma_s^2 = \frac{MS_s - \sigma_{pso}^2 - n_p \sigma_{so}^2 - n_o \sigma_{ps}^2}{n_p n_o}$
Person ( $\sigma_p^2$ )	$\sigma_p^2 = \frac{MS_p - \sigma_{pso}^2 - n_o \sigma_{ps}^2 - n_s \sigma_{po}^2}{n_o n_s}$

*Note.*  $MS_{pso}$  = Mean square for person x session x observer interaction;  $MS_{so}$  = Mean square for session x observer interaction;  $MS_{po}$  = Mean square for person x observer interaction;  $MS_{ps}$  = Mean square for person x session interaction;  $MS_o$  = Mean square for observer;  $MS_s$  = Mean square for session;  $MS_p$  = Mean square for person;  $n_p$  = number of persons;  $n_s$  = number of sessions;  $n_o$  = number of observers.