

CS 4260 and CS 5260

Vanderbilt University

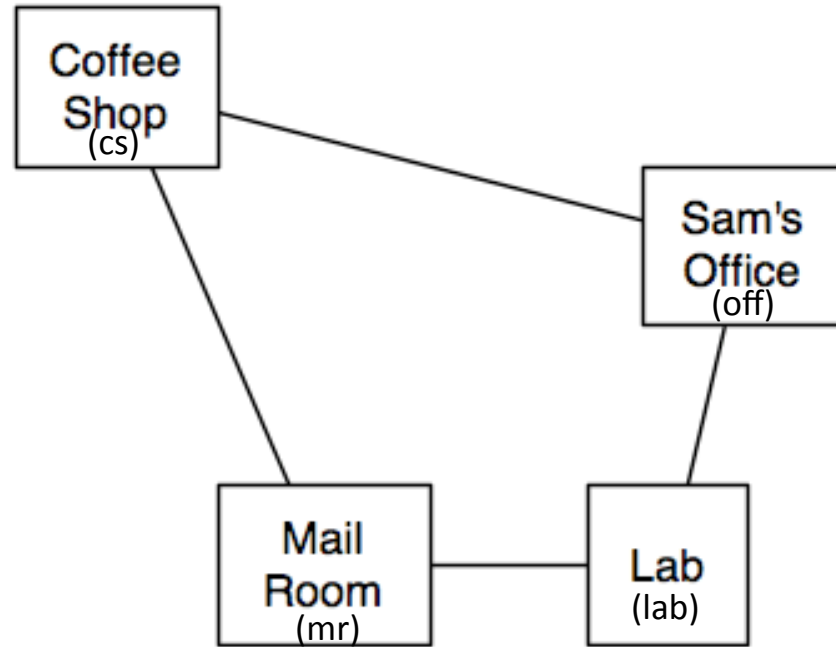
Lecture on Propositional Planning

This lecture assumes that you have

- Read section 4.1, section 5.1, section 2.4, and Chapter 6 through 6.3 of ArtInt

ArtInt: Poole and Mackworth, Artificial Intelligence 2E
at <http://artint.info/2e/html/ArtInt2e.html>

Example 6.1 Consider a [delivery robot world](#) with mail and coffee to deliver. Assume a simplified domain with four locations as shown in [Figure 6.1](#)



From ArtInt

Features to describe states

RLoc

- Rob's location

RHC

- Rob has coffee

SWC

- Sam wants coffee

MW

- Mail is waiting

RHM

- Rob has mail

Actions

mc

- move clockwise

mcc

- move counterclockwise

puc

- pickup coffee

dc

- deliver coffee

pum

- pickup mail

dm

- deliver mail

Explicit State-Space Representation

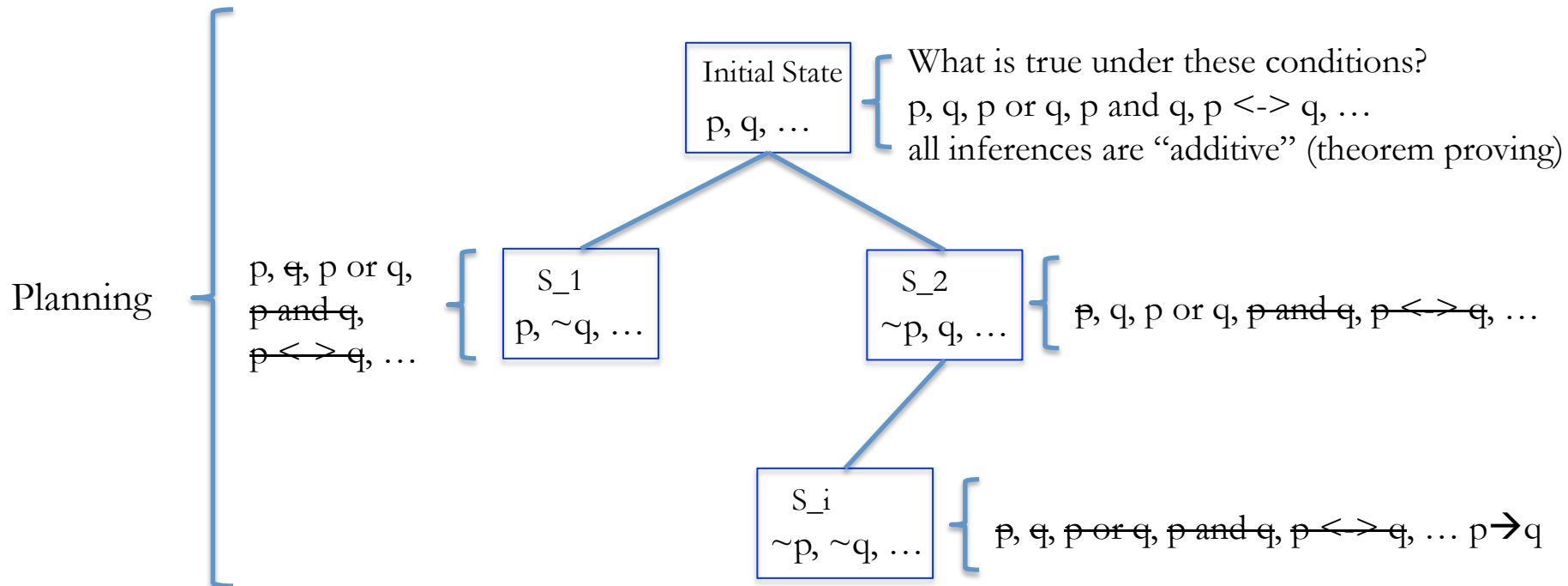
State	Action	Resulting State
$\langle lab, \neg rhc, swc, \neg mw, rhm \rangle$	<i>mc</i>	$\langle mr, \neg rhc, swc, \neg mw, rhm \rangle$
$\langle lab, \neg rhc, swc, \neg mw, rhm \rangle$	<i>mcc</i>	$\langle off, \neg rhc, swc, \neg mw, rhm \rangle$
$\langle off, \neg rhc, swc, \neg mw, rhm \rangle$	<i>dm</i>	$\langle off, \neg rhc, swc, \neg mw, \neg rhm \rangle$
$\langle off, \neg rhc, swc, \neg mw, rhm \rangle$	<i>mcc</i>	$\langle cs, \neg rhc, swc, \neg mw, rhm \rangle$
$\langle off, \neg rhc, swc, \neg mw, rhm \rangle$	<i>mc</i>	$\langle lab, \neg rhc, swc, \neg mw, rhm \rangle$
...

An important aside

An AI uses search (e.g., DFD, BFS, HDFS, GBFS, IDDFS, A*, IDA*)

- to solve (constraint) problems (chapter 4),
- to prove theorems (chapter 5), and
- to plan actions (chapter 6) – today’s focus

Much of chapters 4 and 5 are about reasoning in “static worlds”, in which a knowledge that models the world does not change (at least while reasoning is proceeding). We will talk more about chapter 5’s concepts of knowledge bases, interpretations, and models week after next, but you will receive some quiz feedback on it this week.



An explicit state-space representation can be cumbersome

- Too many states
- Fragile
- No pattern explicit

Adapted from ArtInt

Features to describe states

RLoc

- Rob's location (4-valued)

RHC

- Rob has coffee (binary)

SWC

- Sam wants coffee (binary)

MW

- Mail is waiting (binary)

RHM

- Rob has mail (binary)

State	Action	Resulting State
< lab, rhc, swc, mw, rhm >	mc	< mr, rhc, swc, mw, rhm >
< lab, rhc, swc, mw, ~rhm >	mc	< mr, rhc, swc, mw, ~rhm >
< lab, rhc, swc, ~mw, rhm >	mc	< mr, rhc, swc, ~mw, rhm >
< lab, rhc, swc, ~mw, ~rhm >	mc	< mr, rhc, swc, ~mw, ~rhm >
< lab, rhc, ~swc, mw, rhm >	mc	< mr, rhc, ~swc, mw, rhm >
< lab, rhc, ~swc, mw, ~rhm >	mc	< mr, rhc, ~swc, mw, ~rhm >
< lab, rhc, ~swc, ~mw, rhm >	mc	< mr, rhc, ~swc, ~mw, rhm >
< lab, rhc, ~swc, ~mw, ~rhm >	mc	< mr, rhc, ~swc, ~mw, ~rhm >
< lab, ~rhc, swc, mw, rhm >	mc	< mr, ~rhc, swc, mw, rhm >
...		
< lab, ~rhc, ~swc, ~mw, ~rhm >	mc	< mr, ~rhc, ~swc, ~mw, ~rhm >

Actions

mc

- move clockwise

mcc

- move counterclockwise

puc

- pickup coffee

dc

- deliver coffee

pum

- pickup mail

dm

- deliver mail

State	Action	Resulting State
(lab, ~rhc, swc, ~mw, rhm)	mc	(mr, ~rhc, swc, ~mw, rhm)
(lab, ~rhc, swc, ~mw, rhm)	mcc	(off, ~rhc, swc, ~mw, rhm)
(off, ~rhc, swc, ~mw, rhm)	dm	(off, ~rhc, swc, ~mw, ~rhm)
(off, ~rhc, swc, ~mw, rhm)	mcc	(cs, ~rhc, swc, ~mw, rhm)
(off, ~rhc, swc, ~mw, rhm)	mc	(lab, ~rhc, swc, ~mw, rhm)
...



Features to describe states

- RLoc**
 - Rob's location (4-valued)
- RHC**
 - Rob has coffee (binary)
- SWC**
 - Sam wants coffee (binary)
- MW**
 - Mail is waiting (binary)
- RHM**
 - Rob has mail (binary)

State	Action	Resulting State
< lab, rhc, swc, mw, rhm >	mc	< mr, rhc, swc, mw, rhm >
< lab, rhc, swc, mw, ~rhm >	mc	< mr, rhc, swc, mw, ~rhm >
< lab, rhc, swc, ~mw, rhm >	mc	< mr, rhc, swc, ~mw, rhm >
< lab, rhc, swc, ~mw, ~rhm >	mc	< mr, rhc, swc, ~mw, ~rhm >
< lab, rhc, ~swc, mw, rhm >	mc	< mr, rhc, ~swc, mw, rhm >
< lab, rhc, ~swc, mw, ~rhm >	mc	< mr, rhc, ~swc, mw, ~rhm >
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< lab, ~rhc, swc, mw, rhm >	mc	< mr, ~rhc, swc, mw, rhm >
...		
< lab, ~rhc, ~swc, ~mw, ~rhm >	mc	< mr, ~rhc, ~swc, ~mw, ~rhm >

Actions

<lab, ?V1, ?V2, ?V3, ?V4> mc <mr, ?V1, ?V2, ?V3, ?V4>

- mc**
 - move clockwise
- mcc**
 - move counterclockwise
- puc**
 - pickup coffee
- dc**
 - deliver coffee
- pum**
 - pickup mail
- dm**
 - deliver mail

State	Action	Resulting State
(lab, ¬rhc,swc, ¬mw,rhm)	mc	(mr, ¬rhc,swc, ¬mw,rhm)
(lab, ¬rhc,swc, ¬mw,rhm)	mcc	(off, ¬rhc,swc, ¬mw,rhm)
(off, ¬rhc,swc, ¬mw,rhm)	dm	(off, ¬rhc,swc, ¬mw, ¬rhm)
(off, ¬rhc,swc, ¬mw,rhm)	mcc	(cs, ¬rhc,swc, ¬mw,rhm)
(off, ¬rhc,swc, ¬mw,rhm)	mc	(lab, ¬rhc,swc, ¬mw,rhm)
...

Concisely represent the PUC operator and the DC operator

Adapted from ArtInt

Features to describe states

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State	Action	Resulting State
<RLoc, RHC, SWC, MW, RHM>	puc	<RLoc, RHC, SWC, MW, RHM>
<RLoc, RHC, SWC, MW, RHM>	dc	<RLoc, RHC, SWC, MW, RHM>

Actions

mc

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puc

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dm

- deliver mail

State	Action	Resulting State
$\langle lab, \neg rhc, swc, \neg mw, rhm \rangle$	<i>mc</i>	$\langle mr, \neg rhc, swc, \neg mw, rhm \rangle$
$\langle lab, \neg rhc, swc, \neg mw, rhm \rangle$	<i>mcc</i>	$\langle off, \neg rhc, swc, \neg mw, rhm \rangle$
$\langle off, \neg rhc, swc, \neg mw, rhm \rangle$	<i>dm</i>	$\langle off, \neg rhc, swc, \neg mw, \neg rhm \rangle$
$\langle off, \neg rhc, swc, \neg mw, rhm \rangle$	<i>mcc</i>	$\langle cs, \neg rhc, swc, \neg mw, rhm \rangle$
$\langle off, \neg rhc, swc, \neg mw, rhm \rangle$	<i>mc</i>	$\langle lab, \neg rhc, swc, \neg mw, rhm \rangle$
...

Concisely represent the PUC and DC operators

Adapted from ArtInt

Features to describe states

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- puc**
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- pum**
 - pickup mail
- dm**
 - deliver mail

State	Action	Resulting State
$\langle cs, \sim rhc, ?V5, ?V6, ?V7 \rangle$	puc	$\langle cs, rhc, ?V5, ?V6, ?V7 \rangle$
$\langle off, rhc, ?V8, ?V9, ?V10 \rangle$	dc	$\langle off, \sim rhc, \sim swc, ?V9, ?V10 \rangle$

Exercise: specify a simple learning algorithm to generalize an operator description from the explicit state space representation

Why is generalization over mc instances different? Harder?

State	Action	Resulting State
$\langle lab, \sim rhc, swc, \sim mw, rhm \rangle$	mc	$\langle mr, \sim rhc, swc, \sim mw, rhm \rangle$
$\langle lab, \sim rhc, swc, \sim mw, rhm \rangle$	mcc	$\langle off, \sim rhc, swc, \sim mw, rhm \rangle$
$\langle off, \sim rhc, swc, \sim mw, rhm \rangle$	dm	$\langle off, \sim rhc, swc, \sim mw, \sim rhm \rangle$
$\langle off, \sim rhc, swc, \sim mw, rhm \rangle$	mcc	$\langle cs, \sim rhc, swc, \sim mw, rhm \rangle$
$\langle off, \sim rhc, swc, \sim mw, rhm \rangle$	mc	$\langle lab, \sim rhc, swc, \sim mw, rhm \rangle$
...

Features to describe states

- RLoc**
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Actions

- mc**
 - move clockwise
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- dm**
 - deliver mail

State	Action	Resulting State
<cs, ~rhc, ?V5, ?V6, ?V7>	puc	<cs, rhc, ?V5, ?V6, ?V7>
<off, rhc, ?V8, ?V9, ?V10>	dc	<off, ~rhc, ~swc, ?V9, ?V10>

puc: Precondition {cs, ~rhc}; Effect {rhc}

dc: Precondition {off, rhc}; Effect {~rhc, ~swc}

mc-cs: Precondition {cs}; Effect {off}

mc-off: Precondition {off}; Effect {lab}

Mc-lab ...; mc-mr ...; mcc-cs ...; mcc-mr ...; mcc-lab ...; mcc-off ...;

pum ...; dm ...;

State	Action	Resulting State
(lab, ~rhc, swc, ~mw, rhm)	mc	(mr, ~rhc, swc, ~mw, rhm)
(lab, ~rhc, swc, ~mw, rhm)	mcc	(off, ~rhc, swc, ~mw, rhm)
(off, ~rhc, swc, ~mw, rhm)	dm	(off, ~rhc, swc, ~mw, ~rhm)
(off, ~rhc, swc, ~mw, rhm)	mcc	(cs, ~rhc, swc, ~mw, rhm)
(off, ~rhc, swc, ~mw, rhm)	mc	(lab, ~rhc, swc, ~mw, rhm)
...

Initial State: {cs, ~rhc, swc, mw, ~rhm}

Goal State: {~swc}

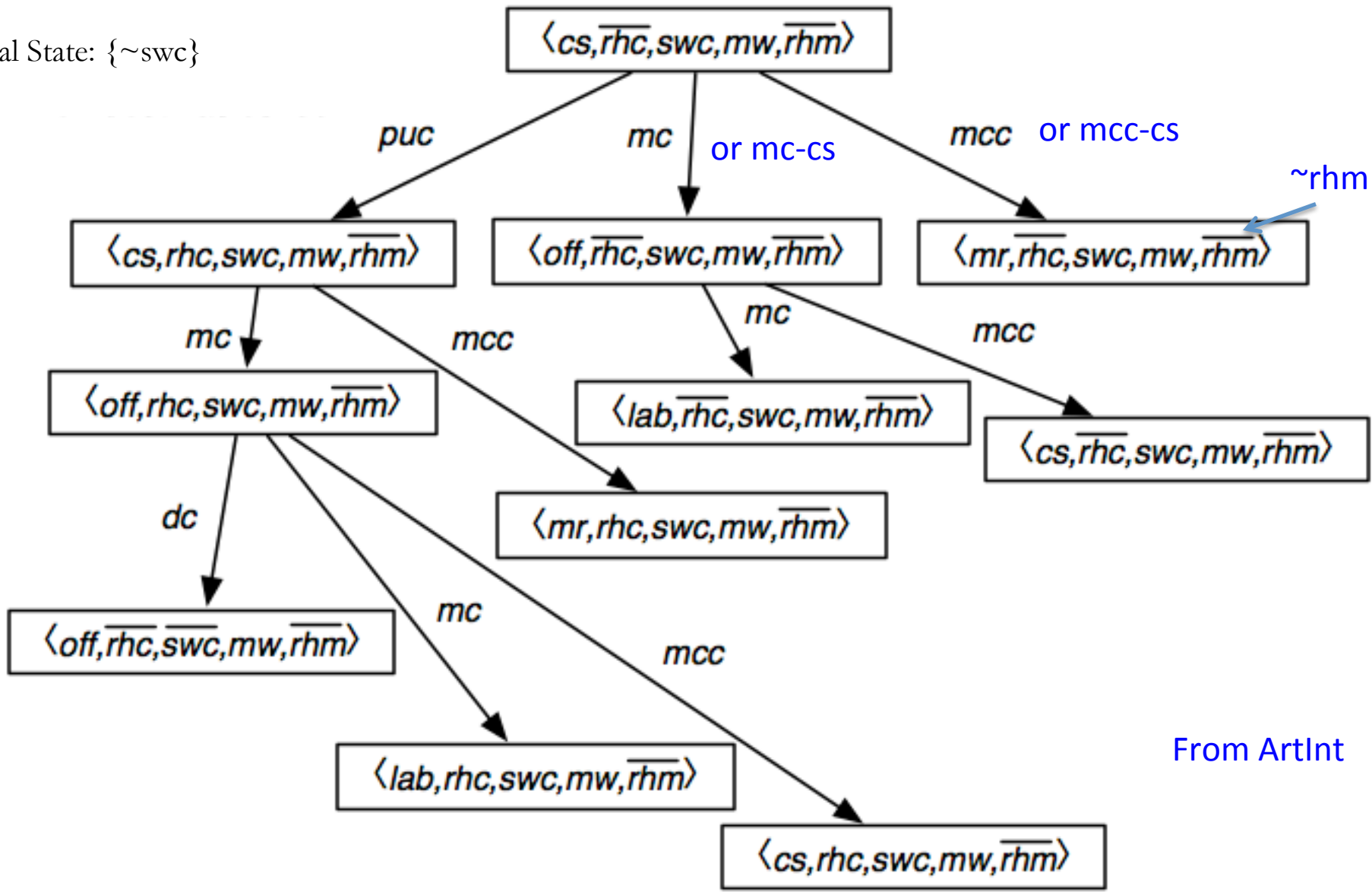
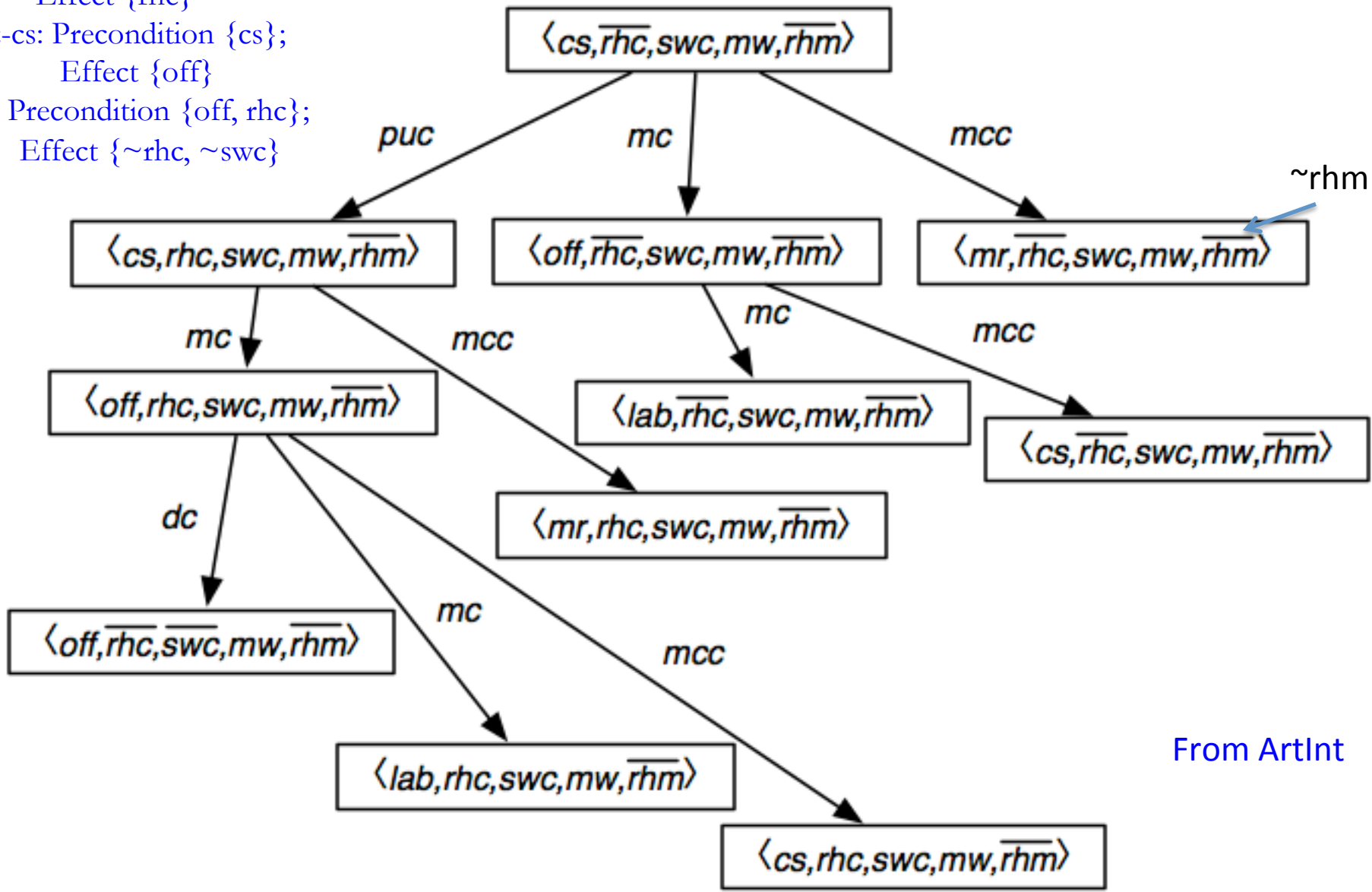


Figure 6.2 Part of the search space for a state-space planner

puc: Precondition {cs, ~rhc};
 Effect {rhc}
 mc-cs: Precondition {cs};
 Effect {off}
 dc: Precondition {off, rhc};
 Effect {~rhc, ~swc}



From ArtInt

Figure 6.2 Part of the search space for a state-space planner

A depth-first forward search

Initial state

$\langle cs, \overline{rhc}, swc, mw, \overline{rhm} \rangle$

puc

mc

mcc

$\langle cs, rhc, swc, mw, \overline{rhm} \rangle$

$\langle off, \overline{rhc}, swc, mw, \overline{rhm} \rangle$

$\langle mr, \overline{rhc}, swc, mw, \overline{rhm} \rangle$

mc

mcc

mc

mcc

$\langle off, rhc, swc, mw, \overline{rhm} \rangle$

$\langle lab, \overline{rhc}, swc, mw, \overline{rhm} \rangle$

~~$\langle cs, \overline{rhc}, swc, mw, \overline{rhm} \rangle$~~

repeated state

dc

mc

mcc

$\langle off, rhc, \overline{swc}, mw, \overline{rhm} \rangle$

$\langle mr, rhc, swc, mw, \overline{rhm} \rangle$

$\langle lab, rhc, swc, mw, \overline{rhm} \rangle$

$\langle cs, rhc, swc, mw, \overline{rhm} \rangle$

Goal = [... $\sim swc$...]

Adapted from ArtInt

Figure 6.2 Part of the search space for a state-space planner

STRIPS Operators , which I will typically write $\text{pre}(\text{op}) \rightarrow \text{eff}(\text{op})$

$\text{puc: } \{\text{RHC} = \sim\text{rhc}, \text{RLOC} = \text{cs}\} \rightarrow \{\text{RHC} = \text{rhc}\}$

$\text{dc: } \{\text{RHC} = \text{rhc}, \text{RLOC} = \text{off}\} \rightarrow \{\text{RHC} = \sim\text{rhc}, \text{SWC} = \sim\text{swc}\}$

$\text{mc_cs: } \{\text{RLOC} = \text{cs}\} \rightarrow \{\text{RLOC} = \text{off}\}$

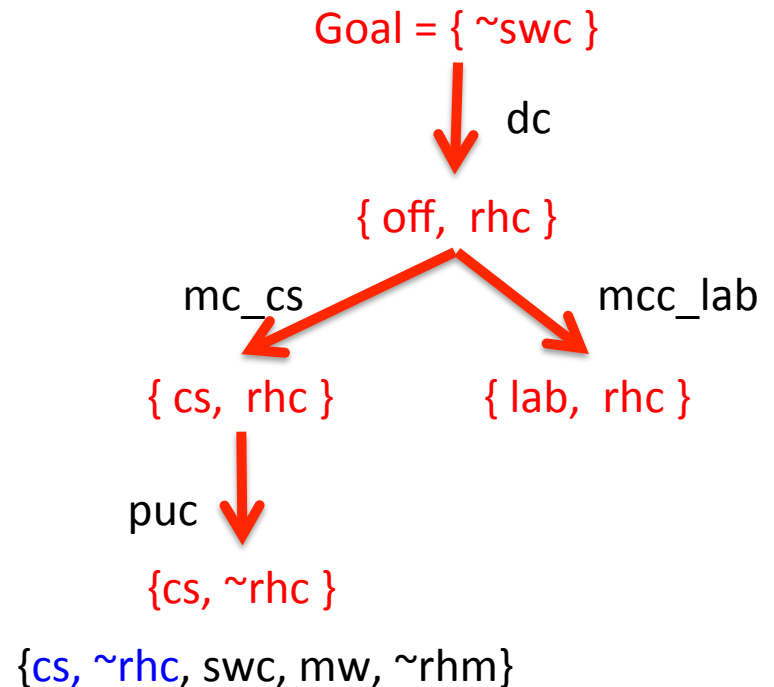
$\text{mcc_lab} = \{\text{RLOC} = \text{lab}\} \rightarrow \{\text{RLOC} = \text{off}\}$

...

Initial State: $\{\text{cs}, \sim\text{rhc}, \text{swc}, \text{mw}, \sim\text{rhm}\}$

Goal State: $\{\sim\text{swc}\}$

Regression or backward planning



STRIPS Operators , which I will typically write $\text{pre}(\text{op}) \rightarrow \text{eff}(\text{op})$

$\text{puc: } \{\text{RHC} = \sim\text{rhc}, \text{RLOC} = \text{cs}\} \rightarrow \{\text{RHC} = \text{rhc}\}$

$\text{dc: } \{\text{RHC} = \text{rhc}, \text{RLOC} = \text{off}\} \rightarrow \{\text{RHC} = \sim\text{rhc}, \text{SWC} = \sim\text{swc}\}$

$\text{mc_cs: } \{\text{RLOC} = \text{cs}\} \rightarrow \{\text{RLOC} = \text{off}\}$

$\text{mcc_off} = \{\text{RLOC} = \text{off}\} \rightarrow \{\text{RLOC} = \text{cs}\}$

...

Exercise 6.6 from text

(c) $\text{puc}; \text{mc_cs}$

$\text{pre}(\text{puc}; \text{mc_cs}) = ?$ $\text{eff}(\text{puc}; \text{mc_cs}) = ?$

(d) $\text{puc}; \text{mc}; \text{dc}$

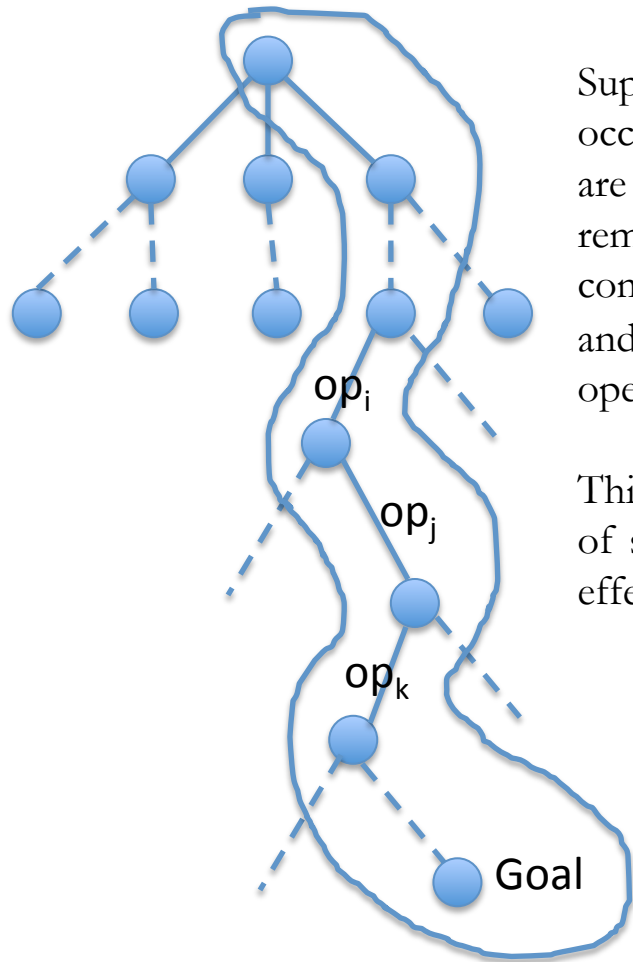
$\text{pre}(\text{puc}; \text{mc_cs}; \text{dc}) = ?$ $\text{eff}(\text{puc}; \text{mc_cs}; \text{dc}) = ?$

(e) $\text{mcc}; \text{puc}; \text{mc}; \text{dc}$

$\text{pre}(\text{mcc}; \text{puc}; \text{mc}; \text{dc}) = ?$ $\text{eff}(\text{mcc}; \text{puc}; \text{mc}; \text{dc}) = ?$

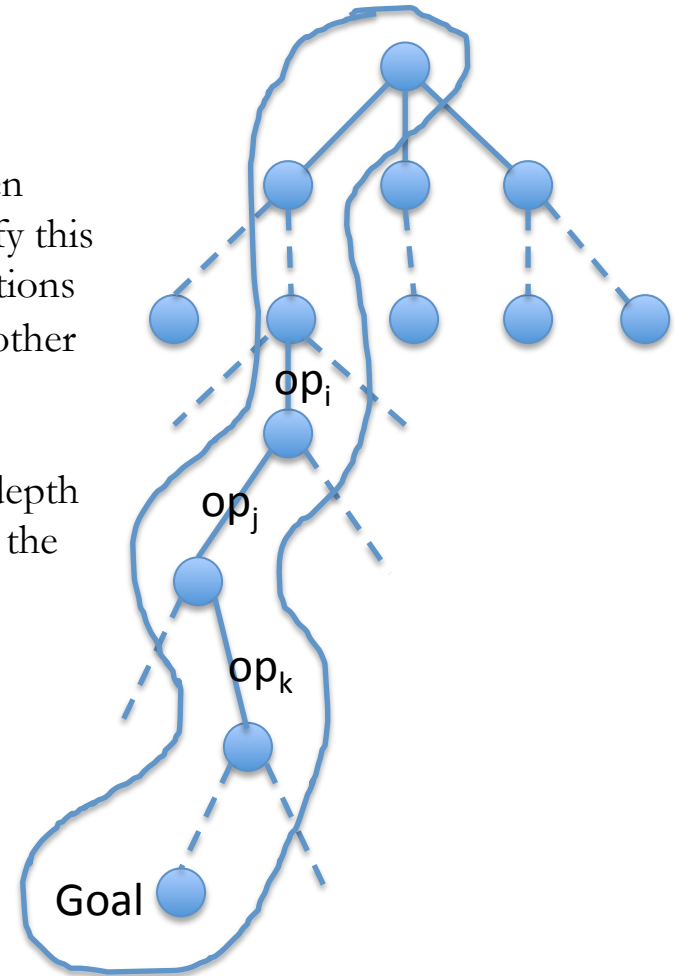
Why are composite (aka macro) operators useful?

Operators that frequently occur “back-to-back” may be useful to remember as a package



Suppose that op_i , op_j , and op_k occur frequently in plans that are found through search. Then remember op_i ; op_j ; op_k , identify this composite operators preconditions and effects, and treat like any other operator during search

This can reduce the effective depth of search, but it also increases the effective breadth of search



Why are composite (aka macro) operators useful?

More interesting reason: macros can bridge places in the search where the heuristic is misleading

Consider this situation



Initial State

A-on-B
B-on-C
C-on-Table



Goal State

C-on-A
A-on-B
B-on-Table

Use forward search, with
heuristic that counts the number
of unachieved subgoals
so, $h(\text{Initial State}) = 2$

but it is necessary to use the unstack operator to remove A from B
to eventually achieve the final goal. This resulting intermediate state has an h value of 3

