CS 4260 and CS 5260 Vanderbilt University

Lecture on Uniformed Search

This lecture assumes that you have

- Read Chapter 2 through section 2.3 of ArtInt (15 pages)
- Read Chapter 3 through section 3.5.2 of ArtInt (20 pages) and
- Watched Doug's iterative deepening search video playlist (material from section 3.5.3 optional reading)

ArtInt: Poole and Mackworth, Artificial Intelligence 2E

at http://artint.info/2e/html/ArtInt2e.html

and some slides at https://artint.info/2e/slides/index.html

Iterative Deepening playlist:

https://www.youtube.com/watch?v=7QcoJjSVT38&list=PLXAjOiPf89kPs82cbS6j9PR3t7ZzixnaO

At the end of the class you should be able to:

- define a directed graph
- represent a problem as a state-space graph
- explain how a generic searching algorithm works

- Often we are not given an algorithm to solve a problem, but only a specification of what is a solution — we have to search for a solution.
- A typical problem is when the agent is in one state, it has a set of deterministic actions it can carry out, and wants to get to a goal state.
- Many AI problems can be abstracted into the problem of finding a path in a directed graph.
- Often there is more than one way to represent a problem as a graph.

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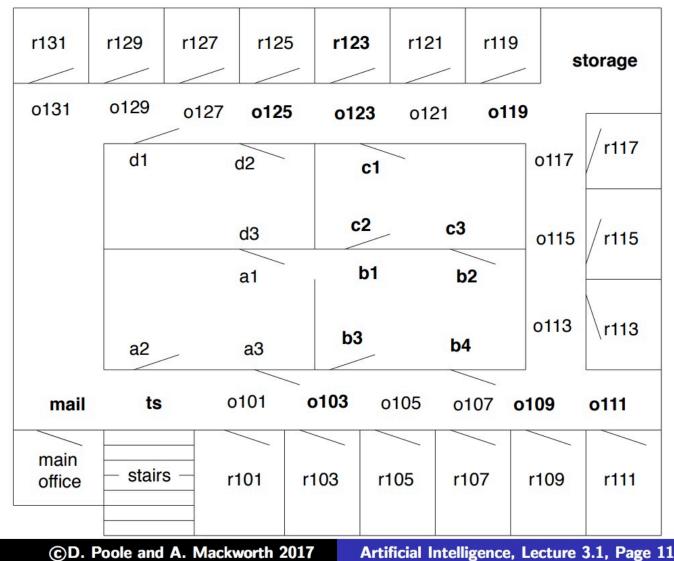
- flat or modular or hierarchical
- explicit states or features or individuals and relations
- static or finite stage or indefinite stage or infinite stage
- fully observable or partially observable
- deterministic or stochastic dynamics
- goals or complex preferences
- single agent or multiple agents
- knowledge is given or knowledge is learned
- perfect rationality or bounded rationality

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- A (directed) graph consists of a set *N* of nodes and a set *A* of ordered pairs of nodes, called arcs.
- Node n_2 is a neighbor of n_1 if there is an arc from n_1 to n_2 . That is, if $\langle n_1, n_2 \rangle \in A$.
- A path is a sequence of nodes $\langle n_0, n_1, \ldots, n_k \rangle$ such that $\langle n_{i-1}, n_i \rangle \in A$.
- The length of path $\langle n_0, n_1, \ldots, n_k \rangle$ is k.
- Given a set of start nodes and goal nodes, a solution is a path from a start node to a goal node.

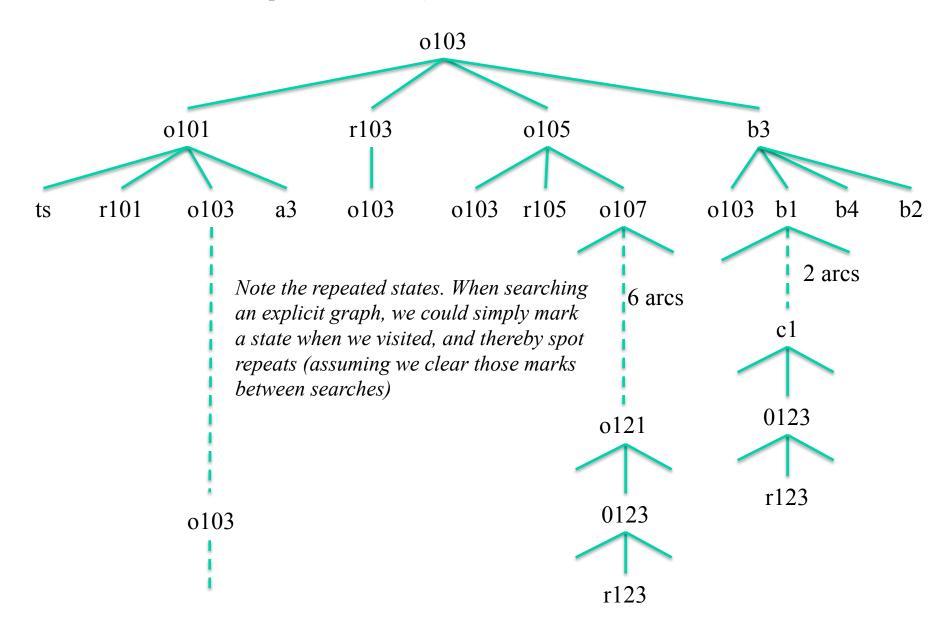
Example Problem for Delivery Robot

The robot wants to get from outside room 103 to the inside of room 123.

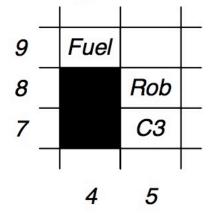


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Search tree for Figure 3.1 of Poole and Mackworth, assuming robot starts at 0103, with a goal of being in r123, with all arcs bidirectional (e.g., doors open in both directions, which is a different assumption than text's)

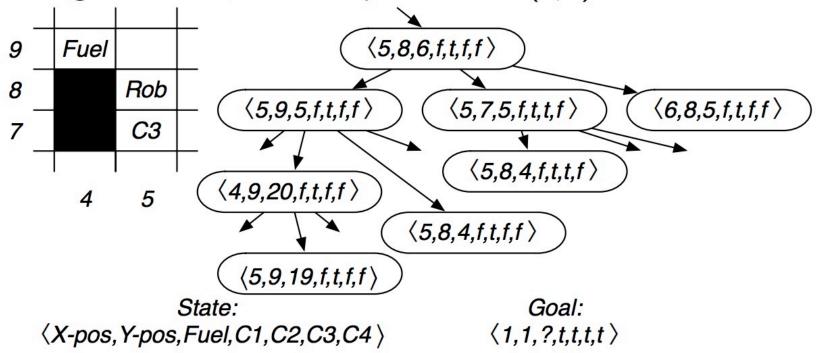


Grid game: Rob needs to collect coins C_1 , C_2 , C_3 , C_4 , without running out of fuel, and end up at location (1, 1):

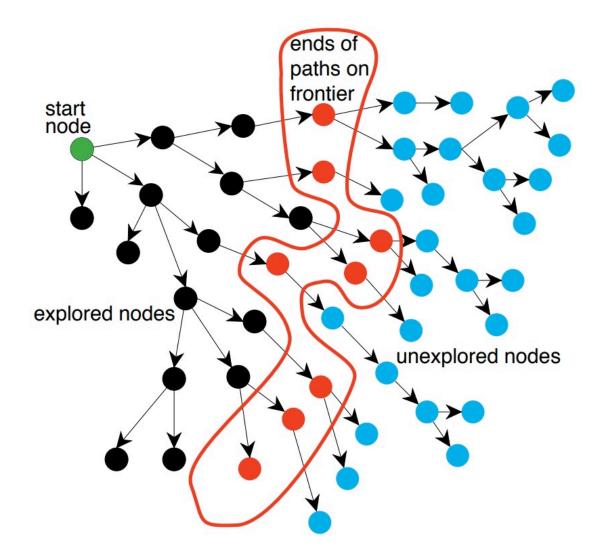


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Grid game: Rob needs to collect coins C_1 , C_2 , C_3 , C_4 , without running out of fuel, and end up at location (1, 1):



Problem Solving by Graph Searching

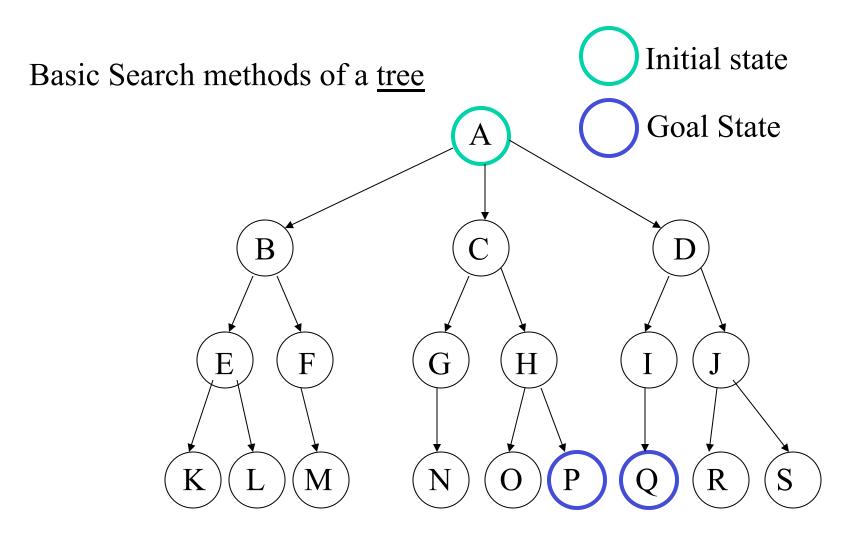


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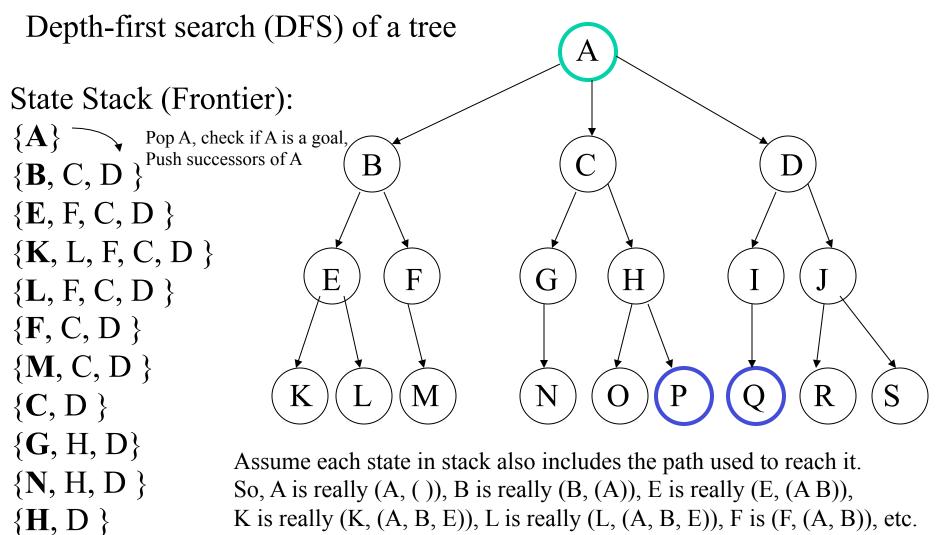
 $\langle \Box \rangle$

Input: a graph, a set of start nodes, Boolean procedure goal(n) that tests if n is a goal node. *frontier* := { $\langle s \rangle$: *s* is a start node} while *frontier* is not empty: select and remove path $\langle n_0, \ldots, n_k \rangle$ from frontier if $goal(n_k)$ return $\langle n_0, \ldots, n_k \rangle$ for every neighbor n of n_k add $\langle n_0, \ldots, n_k, n \rangle$ to frontier end while

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Leaves are terminal states with no successors (or neighbors).

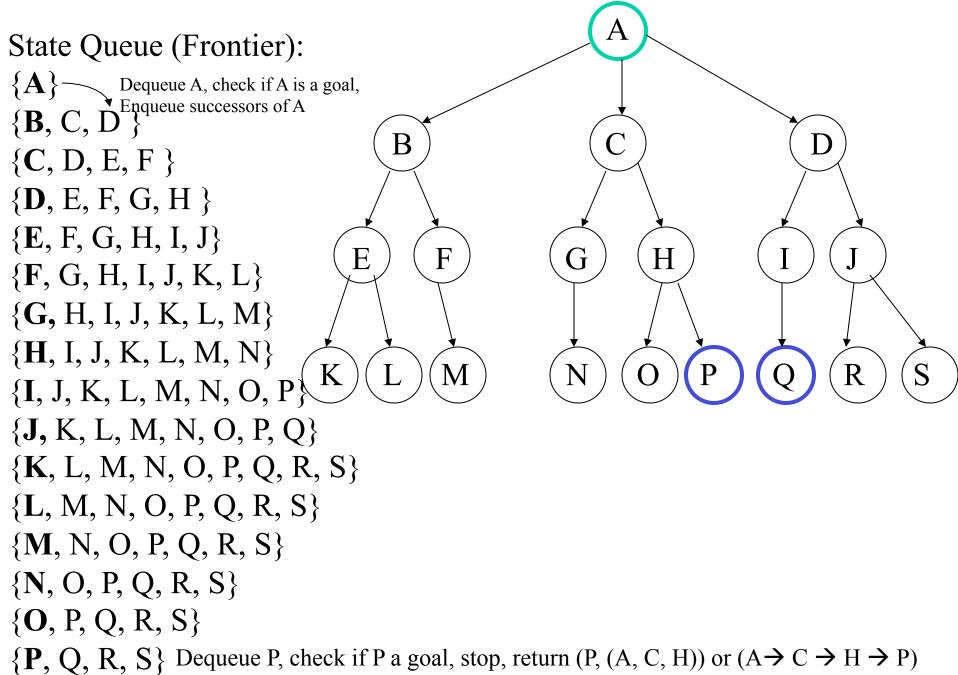


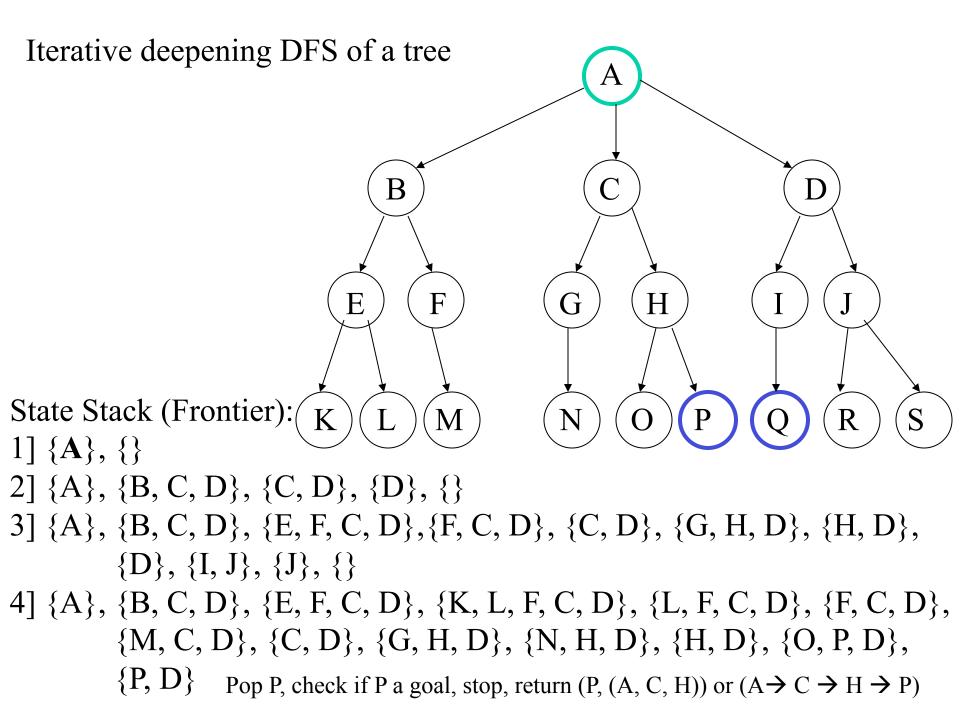
K is really (K, (A, B, E)), L is really (L, (A, B, E)), F is (F, (A, B)), etc. This convention differs very slightly from textbook's.

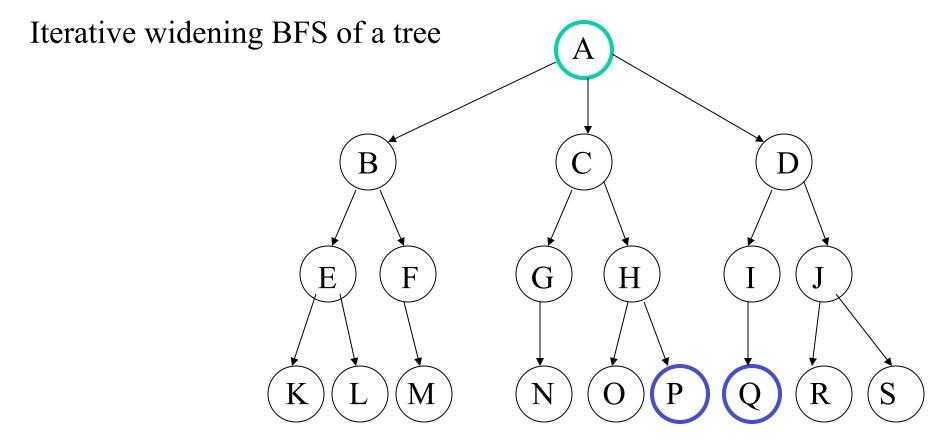
 $\{{\bf P}, {\bf D}\}$ Pop P, check if P a goal, stop, return (P, (A, C, H)) or $(A \rightarrow C \rightarrow H \rightarrow P)$

 $\{0, P, D\}$

Breadth-first search (BFS) of a tree







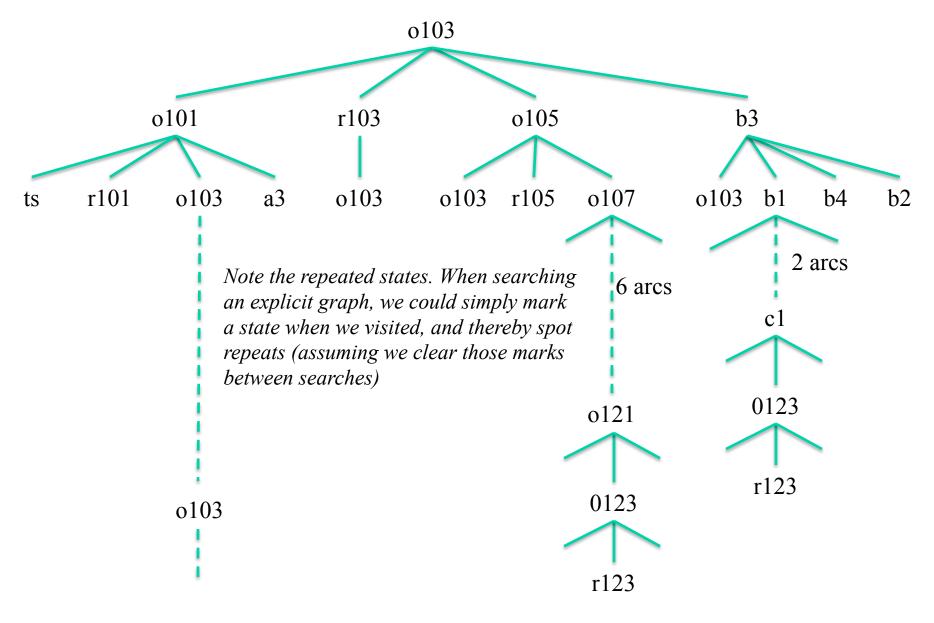
State Queue:

1] {A}, {B, C, D}, {E}, {K}, {}

2] {A}, {B, C}, {C, E}, {E, G}, {G, K}, {K, N}, {N}, {}

3] {A}, {B, C, D}, {C, D, E}, {D, E, G}, {E, G, I}, {G, I, K}, {I, K, N}, {K, N, Q}, {N, Q}, {Q} Dequeue Q, check if Q a goal, stop, return (Q, (A, D, I)) or $(A \rightarrow D \rightarrow I \rightarrow Q)$

Search tree for Figure 3.1 of Poole and Mackworth, assuming robot starts at 0103, with a goal of being in r123, with all arcs bidirectional (a different assumption than text's)

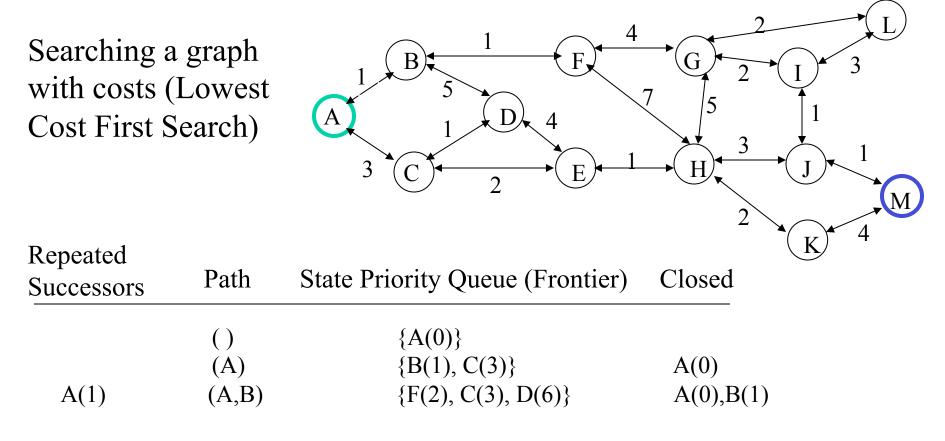


| Searching with DFS Successors | | | | | |
|--------------------------------------|---------------|--|---------------------------|--|--|
| replaced on Open | | | | | |
| (already on | | | (K) | | |
| Open or | Path to TOS | State Stack | Explored States | | |
| Explored) | State | (Frontier) | | | |
| | | $\{A\}$ | {} | | |
| | (A) | $\{\underline{\mathbf{B}}, \underline{\mathbf{C}}\}$ | $\{\tilde{A}\}$ | | |
| А | (A,B) | { <u>F, D,</u> C} | $\{A, B\}$ | | |
| В | (A,B,F) | { <u>G, H</u> , D, C} | $\{A, B, F\}$ | | |
| FH | (A,B,F,G) | { <u>L, I</u> , H, D, C} | $\{A, B, F, G\}$ | | |
| GI | (A,B,F,G) | $\{I, H, D, C\}$ | $\{A, B, F, G, L\}$ | | |
| GL | (A,B,F,G,I) | { <u>J</u> , H, D, C} | $\{A, B, F, G, L, I\}$ | | |
| ΗI | (A,B,F,G,I,J) | $\{\underline{M}, H, D, C\}$ | $\{A, B, F, G, L, I, J\}$ | | |
| M is goal, return (M, (A,B,F,G,I,J)) | | | | | |

 $\overline{}$



| Searchi with BF | ng a graph 7S | A | |
|---|--|----------------|--|
| Repeated Successors | Path St | ate Queue (Fro | ntier) Explored |
| A A,D B,C,E B C,D,H F,H E,F,G G,I G,L,J H,I H,M | () (A) (A) (A,B) (A,B) (A,B,F) (A,B,F) (A,B,F,G) (A,B,F,G) (A,B,F,H) (A,B,F,H) (A,B,F,H) (A,B,F,H,J) | | $ \{A\} \\ \{A,B\} \\ \{A,B,C\} \\ \{A,B,C,D\} \\ \{A,B,C,D,F\} \\ \{A,B,C,D,F,E\} \\ \{A,B,C,D,F,E,G\} \\ \{A,B,C,D,F,E,G,H\} \\ \{A,B,C,D,F,E,G,H,L\} \\ \{A,B,C,D,F,E,G,H,L,I\} \\ \{A,B,C,D,F,E,C,H,L,I\} \\ \{A,B,C,D,F,E,C,H,L,I\}$ |



continue the example